

Unit Five: Charge, Electric Fields, Electrical Energy, Potential Difference and Electrical Power

Charged objects have an electric field

→ Field lines always point away from $\oplus$ and toward $\ominus$ (what would a "4" do?)

→ A charged object attracts the opposite charge & neutral

→ Charge is equally distributed over 2 objects → $\frac{\text{total charge}}{\# \text{ of objects}}$

→ ONLY electrons are transferred

→ Charge is conserved → net charge remains the same

If like charges are pushed together (adding) the field work is done

Potential E becomes kinetic or electrical energy

Current is measured in Amperes → $\frac{C}{s}$

Resistance is low for "short, fat, cold, gold" if temp ↑, R ↑ (no equation)

If energy is calculated with elementary charge it is measured in eV's $1 \text{ eV} = 1.6 \times 10^{-19} \text{ J}$

If energy is calculated with Coulomb's ($W = qV$) is measured in CV or Joules

Ohm's Law - $V = IR$

$$I = \frac{V}{R} = I = \frac{V}{\frac{V}{A}} = I = \frac{VA}{V} = A$$

Current and resistance are inverse so anything that is direct to R (P & L) is inverse to I
inverse to R is direct to I

Equations $E = \frac{F}{q}$ (for uniform field... parallel plates)

$E = k \frac{q_1 q_2}{r^2}$ For point charges
 $k = 8.99 \times 10^9 \text{ N m}^2/\text{C}^2$

$|e| = 1.6 \times 10^{-19} \text{ C}$ to convert into C $\times 1.6 \times 10^{-19}$
elementary charge to convert to e $\div 1.6 \times 10^{-19}$
proton or electron

elementary charges must be whole # is
(can't split an "e")

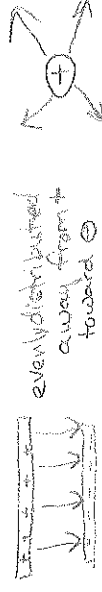
Divide charge in C & make sure whole # of e's

$V = \frac{W}{q}$ or $W = Vq$ $\frac{\text{J}}{\text{C}} = \text{V}$

$I = \frac{q}{t}$ where q is in Coulombs & t in seconds

$R = \frac{V}{I} = \frac{\text{V}}{\text{A}} = \Omega$ $V = IR$ if charge is given in elementary or electron convert to C

$P = \frac{W}{t} = \frac{VI}{t} = IR = \frac{V^2}{R}$



Between:

2 positives



2 negatives



If something obeys Ohm's Law means "R" is constant

$P = \text{constant } V \cdot I$ "obeys Ohm's Law"

For power graphs - you must identify the constraints

Unit Five: Electric Circuits and Magnetic Fields

Circuits:

Ammeters measure current $\rightarrow$ setup in series "Inside"

Voltmeters measure potential difference $\rightarrow$ setup in parallel "outside"

The resistance of wires in a circuit is zero

Series Circuits

Single path for current to flow

Current is the same throughout:

$$I_T = I_1 = I_2 = I_3$$

Potential difference is split

$$V_T = V_1 + V_2 + V_3$$

Resistance sums

$$R_{eq} = R_1 + R_2 + R_3$$



Junction Rule

The current that enters a junction of wires must equal the amount that exits

$$\begin{array}{c|c} \text{IN} & \text{OUT} \\ \hline 5A & 3A + 2A \\ \hline 5A & 5A \end{array}$$

Parallel Circuits

Alternate Paths for current to flow

$$I_T = I_1 + I_2 + I_3$$

Potential difference is equal in each branch

$$V_T = V_1 = V_2 = V_3$$

R_{eq} : Inverse of sum of inverses

$$\frac{1}{R_{eq}} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3}$$

The addition of a resistor in parallel lowers

R_{eq} and increases current
 R_{eq} is always lower than lowest resistor



Magnetic Fields

Away from North toward South
"What a north compass needle would do"

A charged particle has an electric field if moving creates a magnetic field and vice versa

Equations

$$I_T = I_1 = I_2 = I_3$$

$$V_T = V_1 + V_2 + V_3$$

$$R_{eq} = R_1 + R_2 + R_3$$

$$I_T = I_1 + I_2 + I_3$$

$$V_T = V_1 = V_2 = V_3$$

$$\frac{1}{R_{eq}} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3}$$

DATA

	V	I	R
R_1			
R_2			
R_3			
Total			

